



Yashoda Technical Campus, Satara

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Faculty of Engineering

Department of Computer Science and Engineering



Academic Year 2024-25

Report On Continue Assessment Activity

Day & Date: Wednesday, 20 Nov 2024

Name of Activity: Problem Solving

Name of the Faculty Coordinator: Ms. S.R. Sankpal

Class & Division: - S.Y. B. Tech

Semester: - III

Name of subject: - Engineering Mathematics-III

Subject Code: - BTBS301

Total no of Students Present: - 146

CO and PO Mapped with activity: -

CO1, CO2, CO4, CO5

PO1-Engineering Knowledge

PO2-Problem analysis

PO4- Conduct investigations of complex problems

PO9- Individual and Team

PO12-Life-long learning

Rubrics of Activity: -

Stepwise solution of Example 10M

Student should solve example in given time 5M

Representation of Example 10M

Total 25M

Objectives:

1. Apply mathematical concepts and techniques to solve real-world engineering problems.
2. Develop problem-solving skills, critical thinking, and analytical reasoning in the context of engineering mathematics.
3. Foster collaboration and communication among students to tackle complex engineering problems.

Outcomes:

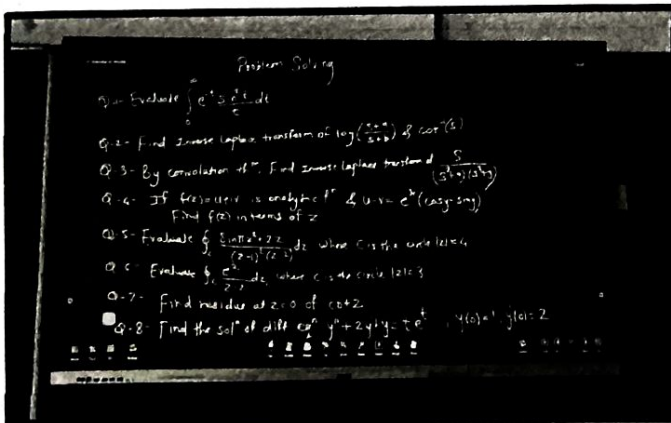
1. Students become more engaged and motivated to learn, as they see the relevance and importance of engineering mathematics.
2. Students develop a more creative and innovative mindset, exploring new approaches and solutions to engineering problems.
3. Students engage with difficult problems and found a way to solve it.

Photographs: -

1.



2.



Siddhi
Subject Teacher



HOD
H.O.U.

Computer Science & Engg.

YSPM'S Yashoda Technical Campus, Satara

Questions. (Problem Solving)

Q.1. Evaluate $\int_0^{\infty} e^{-t} \frac{\sin^2 t}{t} dt$.

$\frac{20}{25}$

→ Let $f(t) = \sin^2 t = \frac{1}{2} [1 - \cos 2t]$

$$L\{f(t)\} = L\{\sin^2 t\} = \frac{1}{2} L\{1 - \cos 2t\}$$

$$= \frac{1}{2} \left[\frac{1}{s} - \frac{1}{s^2 + 4} \right]$$

$$= F(s)$$

$$L\left\{\frac{f(t)}{t}\right\} = L\left\{\frac{\sin^2 t}{t}\right\} = \int_0^{\infty} F(s) ds$$

$$= \int_0^{\infty} \frac{1}{2} \left[\frac{1}{s} - \frac{s}{s^2 + 4} \right] ds$$

$$= \frac{1}{2} \left[\log s - \frac{1}{2} \log (s^2 + 4) \right]_0^{\infty}$$

$$= \frac{1}{2} \left[\log \frac{s}{\sqrt{s^2 + 4}} \right]_0^{\infty}$$

$$= -\frac{1}{2} \log \frac{s}{\sqrt{s^2 + 4}}$$

By the definⁿ of Laplace transform.

$$\int_0^{\infty} e^{-st} \left\{ \frac{f(t)}{t} \right\} dt = \int_0^{\infty} e^{-st} \left\{ \frac{\sin^2 t}{t} \right\} dt$$